

Unit 3 Study Sheet

Slope Intercept Form

$$y = mx + b$$

m = slope

b = y-intercept

(where line crosses the y-axis.)

Horizontal Lines

$$Y = \#$$

Horizontal lines have ZERO SLOPES



Vertical Lines

$$X = \#$$

Vertical lines have NO SLOPE or UNDEFINED



Procedure to Graph a linear Equation:

- 1.) Get the equation in slope intercept form $y = mx + b$
- 2.) Identify the slope (m) and the y-intercept (b)
- 3.) Plot the (b) value on the y-axis
- 4.) If the slope (m) is positive move up, if it is negative move down.
- 5.) And then always move to the right.
- 6.) Connect each point with a straight edge forming a line.

If you can graph a straight line, you can solve systems of equations graphically!

- 1.) Graph the 1st linear equation
- 2.) Graph the 2nd linear equation
- 3.) Identify the point of intersection
- 4.) Check your P.O.I. on your calculator by following the steps below
 - Type equations into y_1 and y_2 (they must be in slope intercept form)
 - Look at table by pressing 2nd graph (Look for the same y-values.) Or you can.....
 - Look at graph:
 - a. Press graph (Press zoom 6 to fix graph if needed.)
 - b. Press 2nd trace
 - c. Press #5 (intersect)
 - d. Use left and right arrows to move blinking box close to the P.O.I.
 - e. Hit enter 3 times

Steps for Solving Systems of Linear Inequalities

- Solve both inequalities for y
- Graph, shade, and label both inequalities
- Label the intersection of shading “S” (if there is no overlap—no solution)
- Choose a point in the shaded region to check both inequalities!

When you graph a linear inequality you determine the type of line and the shading by the chart below:

Inequality Symbol	Type of Line	Meaning	Shading a Diagonal or Horizontal Line	Shading a Vertical Line
\leq	Solid Line	The points on the line satisfy the inequality	Below	Left
\geq	Solid Line	The points on the line satisfy the inequality	Above	Right
$<$	Dashed	The points on the line don't satisfy the inequality	Below	Left
$>$	Dashed	The points on the line don't satisfy the inequality	Above	Right

To Solve Systems of Equation with the Elimination (Addition) Method:

- 1.) If necessary, rewrite the equations in standard form: $ax + by = c$
- 2.) Determine if the system contains opposites. Ex: $-5x$ and $5x$
- 3.) If not decide which variable you want to eliminate
- 4.) Use multipliers to get opposites
- 5.) Multiply one or both equations by constants, if necessary so that the coefficients of the variable you want to eliminate are opposite.
- 6.) Add equations to eliminate one of the variables.
- 7.) Solve the resulting equation.
- 8.) Substitute the resulting value into either original equation.
- 9.) Solve the equation for the other variable.
- 10.) Write your answer as coordinates (x,y)
- 11.) Check your P.O.I. in BOTH original equations.

To Solve Systems of Equation with the Substitution Method:

- 1.) One variable has to be alone ($x = \dots$ or $y = \dots$)
- 2.) Replace that variable (the one that is alone) into the other equation using parenthesis
- 3.) Solve for the variable
- 4.) Plug in your answer to one of the original equations to find the other variable
- 5.) Write your answer as a P.O.I
- 6.) Check the P.O.I. in both equations