Name:		Date:	
UNIT 10		LESSON 3	
	Do Now:		

1. Grace tutors math to her classmates. She charges an initial fee of \$5 and then charges \$10 per hour. Write a function that models this situation.

 $\frac{\text{models this situation.}}{\text{Function}} \frac{y = mx + b}{1 + 10x + 5}$

2. The cost of belonging to a gym can be modeled by C(m) = 50m + 79.50, where C(m) is the total cost for m months of membership. State the meaning of the slope and y-intercept of this function with respect to the costs associated with the gym membership.

Linear Slope > \$50 per month Function Y-intercept -> \$79.50 initial Fee

AIM: MODELING FUNCTIONS

3. Luke plans to purchase a TV that costs \$2,000. He has \$1,000 in his savings account, and plans to save \$40 per week from his allowance until he has enough money to buy the TV. He needs to figure out how long it will take.

a. What type of function should be use to model this problem?

Linear because there a common difference

b. Write a function that represents the amount of Luke's money over a period of time (in weeks).

$$\lambda = 40 \times +1000$$

m = 40b = 1000

c. How much will he have saved in 20 weeks?

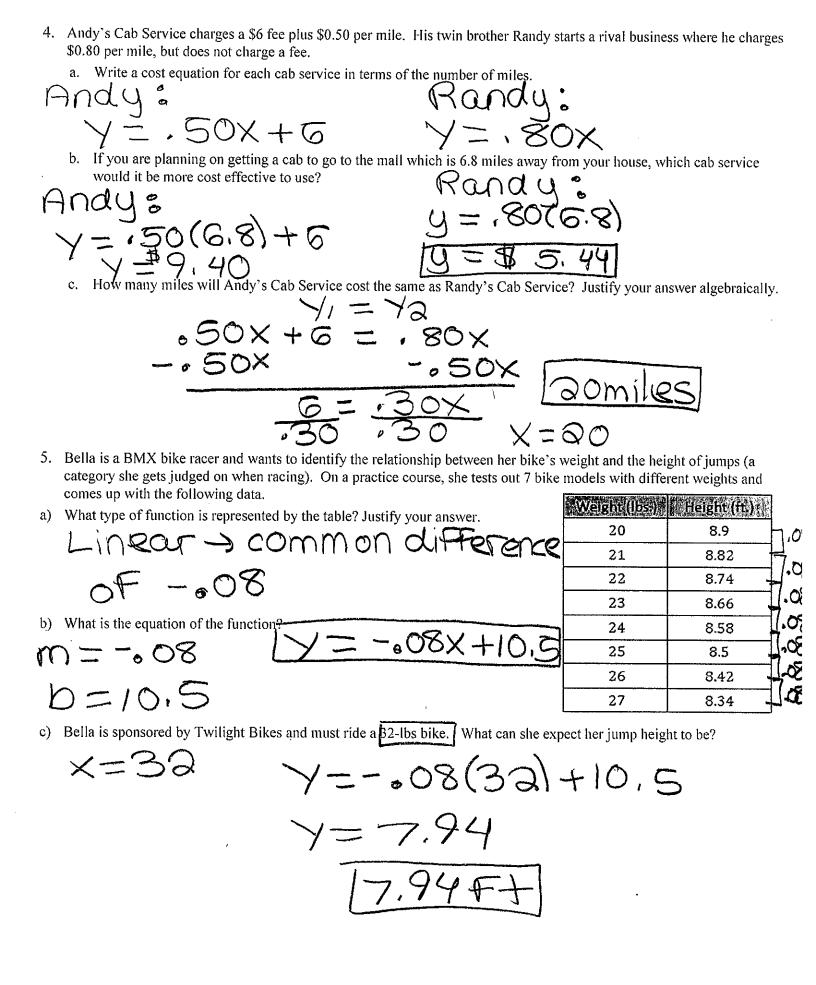
$$Y=40 \times +1000$$

 $Y=7$
 $Y=1800$

1800 -1000 [\$ 800 saved

d. How many weeks will he need to save up in order to purchase it?

Y=8000 Y=40x+1000 X=7 -1000=40x+1000 -1000=40x -1000=40x -1000=40x -1000=40x -1000=40x -1000=40x -1000=40x -1000=40x



6.	A student is conducting an experiment and, as time passes, the number of cells	in the experiment de	ecreases.	
a.	The second of the factor of th	Time (minutes)	Cells	
سلا	exponential blc common	0	5,000,000	
~	EXPORTE DI COMMON	1	2,750,000	
	ratio	2	1,512,500	\geq
b.	What is the equation of the function? Round values to the nearest hundredth.	3	831,875	2
_	- = = = = \ \ - = = = = \ \ = = \ \ \ \	4	457,531	5
٧	1 = 5,000,000 / = 5,000,000(.55)	5	251,642	

6

138,403

c. How many cells will t	here be after 16 minutes, to the nearest hundredth?
x=16	Y=5,000,000 (·55) 16
	V=1350,570015

7. The table shows the average sale price p of a house in New York City, for various years t since 1960.

Years since 1960, t	0	1	2	3	4	5	6
Average sale price (in thousands of dollars), <i>p</i>	45	36	29	24	21	20	21
	<u> </u>			5-	3	_	+1
	L		- <u>}</u>	-			\dashv

What type of function represents this set of data? Explain.

s = (.55)

Write a function to represent the data.

$$\sqrt{2} \times 2 - 10 \times + 45$$

In what year is the price at the lowest?

Mr. Samuels bought his house in New York City in 1970. If the trend continued, how much was he likely to have paid?

$$\begin{array}{c}
X=10 \\
(970-1960) \\
Y=(10)^{3}-10(10)+45 \\
Y=45
\end{array}$$