

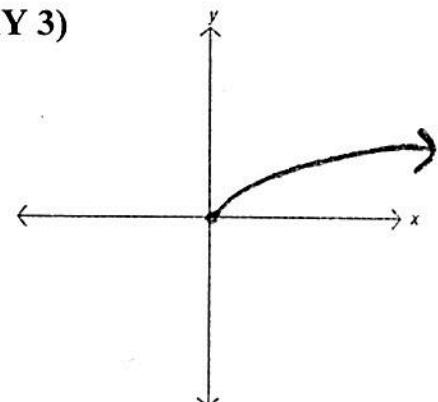
Do Now: Describe how the graph of  $s(x) = -(x-6)^2 + 8$  is related to the graph of  $f(x) = x^2$ .

reflected over x-axis, right 6 units up 8

## AIM: TRANSFORMATIONS (DAY 3)

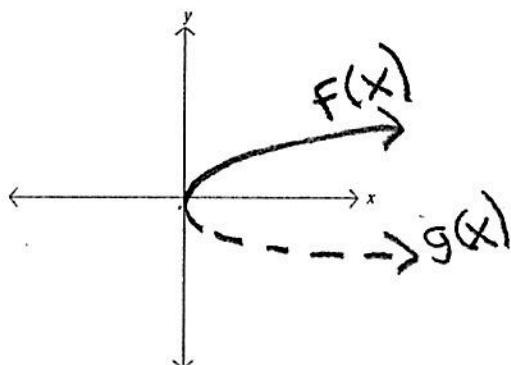
1. Given
- $f(x) = \sqrt{x}$

(a) Sketch the function.

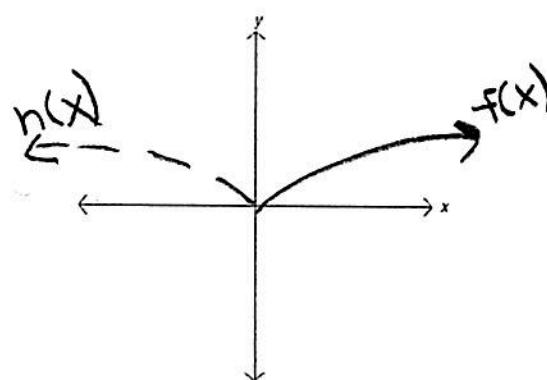
(b) Identify the type of function:  
**Square root  
function**

2. Compare the graph of each function with the graph of
- $f(x) = \sqrt{x}$
- .

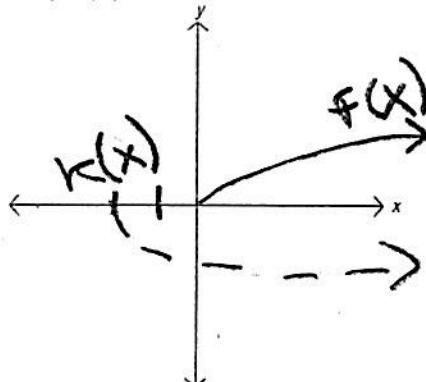
a)  $g(x) = -\sqrt{x}$

Describe the transformation: reflection  
over x-axis  
 $-f(x) = -\sqrt{x}$   
outside outside

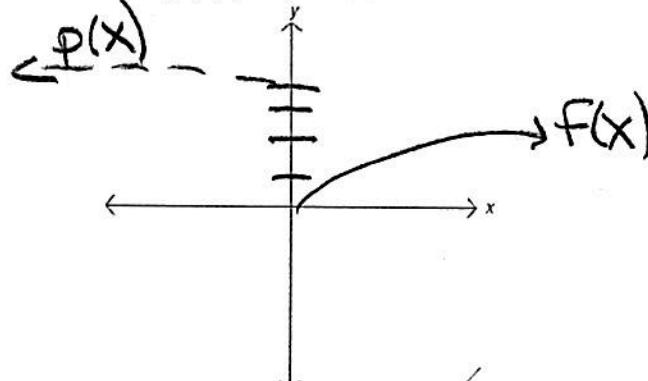
b)  $h(x) = \sqrt{-x}$

Describe the transformation: reflection  
over y-axis  
 $f(-x) = \sqrt{-x}$   
inside inside

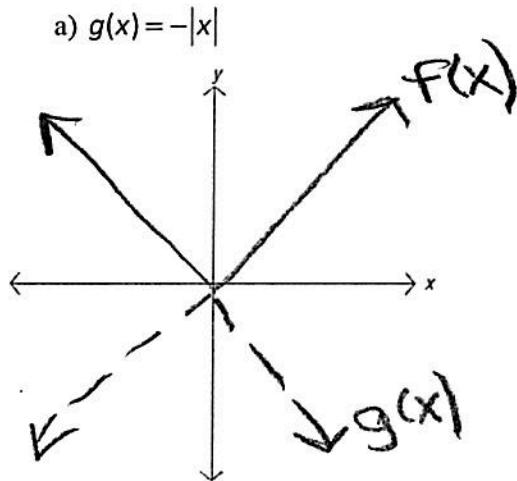
c)  $k(x) = -\sqrt{x+2}$

Describe the transformation:  
reflection over x-axis  
left 2 units

d)  $p(x) = \sqrt{-x} + 4$

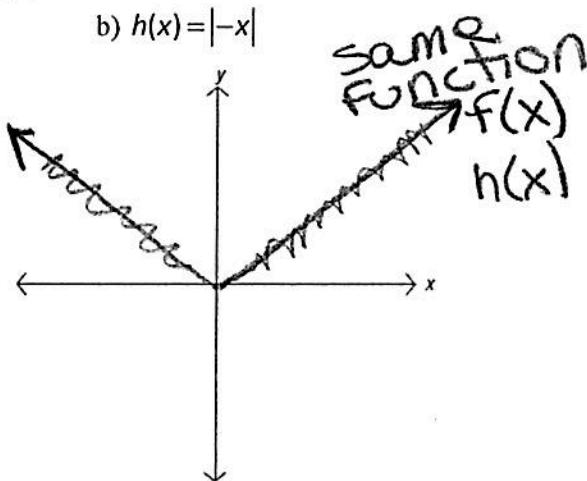
Describe the transformation:  
reflection over y-axis  
up 4 units

3. Compare the graph of each function with the graph of  $f(x) = |x|$ .



Describe the transformation:

reflection  
over x-axis



Describe the transformation:

reflection over  
y-axis

4. Describe how the graph of each function is related to the graph of the parent function  $f(x) = x^2$ .

a)  $h(x) = -x^2 + 10$

reflect over x-axis  
up 10 units

b)  $g(x) = \frac{1}{2}(x - 5)^2 + 6$

wider - horizontally  
stretched  
right 5 units  
up 6 units

c)  $c(x) = \frac{3}{2}(x - 11)^2 + 3$

narrower - vertically  
stretched  
right 11 units  
up 3 units

d)  $a(x) = \frac{3}{4}(x + 7.5)^2 - 18$

wider - horizontally  
stretched  
left 7.5 units  
down 18 units

e)  $g(x) = f(x) - 7$

down 7 units

f)  $t(x) = f(x - 12) - 1$

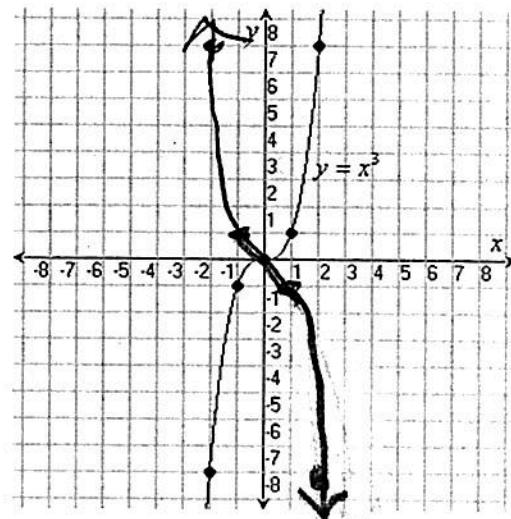
right 12 units  
down 1 unit

5. Given the parent function  $f(x) = x^3$ .

a) Sketch the function  $g(x) = -x^3$

b) Describe the transformation.

reflection over  
x-axis & y-axis



6. Describe how the graph of each function is related to the graph of the parent function  $f(x) = |x|$ .

a.  $g(x) = -|x + 9| - 2$

reflection over x-axis  
left 9 units  
down 2 units

b.  $k(x) = \frac{5}{2}|x - 16| + 13$

narrower - vertically  
stretched  
right 16 units  
up 13 units

c.  $j(x) = -0.75|x + 6| - 3.5$

reflection over x-axis  
wider - stretch  
horizontally  
left 6 units  
down 3.5 units

d.  $g(x) = -2.75|x - 15| + 4$

reflection over x-axis  
narrower - stretched  
vertically  
right 15 units  
up 4 units

e.  $g(x) = f(x) + 20$

up 20 units

f.  $d(x) = -\frac{2}{3}f(x) - 100$

reflection over x-axis  
wider - stretched  
vertically  
down 100 units

